## 10/24 Lecture outline

• Continue from last time, relate  $\Delta W_{mech} \leq -\Delta F$ , or  $-\Delta H$  or  $-\Delta G$ , depending on what's held fixed.

• Set  $\Delta W_{mech} = 0$ . Using result from last lecture,  $\Delta (U - T_0 S + P_0 V) \leq 0$ . Reaches minimum at equilibrium. For fixed P and T, process reaches equilibrium when G is minimized. Etc. for other choices of variables and H or F minimization.

• G and P-T phase diagrams. Phase boundary at  $g_1(T, P) = g_2(T, P)$ . Gives "Clausius-Clapeyron eqn.":

$$\frac{dP}{dT} = \frac{s_1 - s_1}{v_2 - v_1} = \frac{\ell_{1 \to 2}}{T(v_2 - v_1)}.$$

Integrate to get P(T).

• Example: liquid to gas. Assume  $v_{gas} \gg v_{liquid}$  and ideal gas to get vapor pressure  $P = P_0 \exp(-\ell/RT)$ , where  $P_0$  is an integration constant.